SUBJECT CODE NO:- P-297 FACULTY OF ENGINEERING AND TECHNOLOGY T.E.(CSE/IT) Examination MAY/JUNE-2016 Design & Analysis of Algorithms (Revised)

[Tim	e: Three Hours]	[Max Marks:80]
N.B	"Please check whether you have got the right question paper." i) <u>Q.No.1</u> from section A and <u>Q.No.6</u> from section B are compulsory. ii) Attempt <u>any two</u> questions from the remaining questions in each section. Section A	
Q.1	Attempt <u>any five</u> . a) Write characteristics of an algorithm b) Explain any 2 algorithm design method c) How is an algorithm time efficiency measured d) Define feasible and optimal solution. e) Write any two characteristics of greedy method f) Write an iterative function to find sum of 'n' numbers g) Explain space complexity	10
Q.2	 a) Explain binary search method using divide & conquer technique. b) Sort the following data using quick sort = {30,20,25,10,15,35,25,40} 	08 07
Q.3	 a) Explain heap sort with an example b) Find an optimal placement for 13 programs on three tapes To, T₁ & T₂ where the programs are of length {12,5,8,32,7,5,18,26,4,3,11,10,6} 	08 Is 07
Q.4	a) Explain optimal merge patterns b) Explain Strassen's matrix multiplications	07 08
Q.5	a) Write an algorithm to find smallest & largest number in an array b) Explain Huffman coding with suitable example	08 07
	Section B	
Q.6	Attempt any fivea)Explain difference between GM & DPb)Define multistage graphc)Define implicit & explain constraintsd)What is branch & bound methode)Define chromatic number of a graphf)State sum of subsets problemg)Explain least count search	10
Q.7	a) Determine optimal binary search tree for n=4, $(a_1, a_2, a_3, a_4) = (do, if, int, while) P(1:4) = (3,3,1,1) a(0:4)=(2,3,1,1,1)$	10
	b) Write an algorithm for all pairs shortest path problem	05
Q.8	 a) Solve sum of subset problems using back tracking for n = 4 (w₁,w₂,w₃,w₄) = (11,13,24,7) & m = 31 b) Explain connected & biconnected components in a graph 	08 07

P-2016

Q.9 a) b)	Write an algorithm for tree traversal methods. Solve 4-Queen's problems using FIFO branch & bound.	06 09
Q.10a)	Solve 1S- puzzle problem using branch & bound. Initial arrangement is: $ \begin{bmatrix} 1 & 2 & 3 & 4 \\ 5 & 6 & 8 \\ 9 & 10 & 7 & 11 \\ 13 & 14 & 15 & 12 \end{bmatrix} $	09
b)	Explain graph coloring problem and its application	06

b) Explain graph coloring problem and its application